#### Grade 11

# **Function**

# **Changes and Effect on functions**

# REFELCTION ABOUT y-AXIS FOR ALL FUNCTIONS

- x-values change signs
- <u>EXAMPLE 1</u> f(x) = x+3 REFLECTION ABOUT y-AXIS FUNCTION (CALL THE FUNCTION g(x)) NOW BECOMES g(x) = (-x)+3 g(x) =-x+3

# TRY EXAMPLE 2

Write down the new function (call it g(x)) if the given function reflected about y-axis

- a.  $f(x) = x^2 + 4$
- b. f(x) = 3x+4
- c.  $f(x) = \frac{2}{x+4} + 2$

d. 
$$f(x) = 4^{x+3} + 2$$

## Answers to Example 2

- a.  $f(x) = x^{2} + 4$   $\frac{\text{REFLECTION ABOUT Y-AXIS}}{g(x) = (-x)^{2} + 4}$   $g(x) = x^{2} + 4$
- b. f(x) = 3x+4<u>REFLECTION ABOUT Y-AXIS</u> g(x) = 3.(-x) +4 g(x) = -3x +4

#### Answers to Example 2

- c.  $f(x) = \frac{2}{x+4} + 2$ REFLECTION ABOUT Y-AXIS  $g(x) = \frac{2}{(-x)+4} + 2$  $g(x) = \frac{2}{-x+4} + 2$
- d.  $f(x) = 4^{x+3} + 2$ REFLECTION ABOUT Y-AXIS  $g(x) = 4^{-(x)+3} + 2$  $g(x) = 4^{-x+3} + 2$

# <u>SUMMARY</u>

CHANGE and EFFECT

Function	a>0	a<0	p increases	p decreases	q increases	q decreases
y = f(x) = a (x + p) + q	Gradient is positive. Graph slope upwards	Gradient is negative. Graph slope downwards	Graph moves to left p units	Graph moves to right p units	Graph moves upwards q units	Graph moves downwards q units
$y = f(x) = a (x + p)^2 + q$	Graph has a minimum. Graph will be a "HAPPY" face	Graph has a maximum. Graph will be a "SAD" face	Graph moves to left p units	Graph moves to right p units	Graph moves upwards q units	Graph moves downwards q units
$y = f(x) = \frac{a}{x+p} + q$	Graph is in 1 <sup>st</sup> and 3 <sup>rd</sup> Quadrant	Graph is in 2 <sup>nd</sup> and 4 <sup>th</sup> Quadrant	Graph moves to left p units	Graph moves to right p units	Graph moves upwards q units	Graph moves downwards q units
$y = f(x) = ab^{x+p} + q$			Graph moves to left p units	Graph moves to right p units	Graph moves upwards q units	Graph moves downwards q units